Note: This list of references is provisional, and will grow (or shrink) as the course progresses. It will never be comprehensive.

See also the references (and the book) in the online version of Weibel's K-Book [40] at

http://www.math.rutgers.edu/ weibel/Kbook.html.

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